

Package ‘nbpInference’

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Title Inference on Average Treatment Effects for Continuous Treatments

Version 1.0.3

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Description Conduct inference on the sample average treatment effect for a matched (observational) dataset with a continuous treatment. Equipped with calipered non-bipartite matching, bias-corrected sample average treatment effect estimation, and covariate-adjusted variance estimation. Matching, estimation, and inference methods are described in Frazier, Heng and Zhou (2024) <doi:10.48550/arXiv.2409.11701>.

Imports nbpMatching, stats, Rdpack

RdMacros Rdpack

URL <https://github.com/AnthonyFrazierCSU/nbpInference>

License GPL (>= 3)

Encoding UTF-8

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Suggests testthat (>= 3.0.0)

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BugReports <https://github.com/AnthonyFrazierCSU/nbpInference/issues>

NeedsCompilation no

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bias.corrected.neyman *Bias-corrected Neyman Sample Average Treatment Effect Estimator*

Description

This function estimates the sample average treatment effect for a set of matched pairs using the bias-corrected Neyman estimator, defined in Frazier et al. (2024).

Usage

```
bias.corrected.neyman(Y, Z, pairs, pmat, xi)
```

Arguments

Y	a 2I-length vector of outcome values
Z	a 2I-length vector of treatment values
pairs	an I x 2 dataframe containing the indices of observations that form our set of matched pairs. An appropriate pairs dataframe can be formed using the nbp.caliper function.
pmat	a 2I x 2I matrix where the diagonals equal zero, and the off-diagonal elements (i, j) contain the probability the ith observation has $Z = \max(Z_i, Z_j)$ and the jth observation has $Z = \min(Z_i, Z_j)$. We can create a p-matrix using the make.pmatrix function. A p-matrix can be created using the make.pmatrix function.
xi	a number in the range 0 to 0.5, the cutoff related to the treatment assignment probability caliper.

Value

I x 2 dataframe

See Also

Other inference: [classic.neyman\(\)](#), [covAdj.variance\(\)](#), [make.pmatrix\(\)](#), [nbp.caliper\(\)](#)

Examples

```
set.seed(12345)
X <- rnorm(100, 0, 5)
Z <- X + rnorm(100, 0, (1+sqrt(abs(X))))
Y <- X + Z + rnorm(100, 0, 0.5)
pmat <- make.pmatrix(Z, X)
pairs <- nbp.caliper(Z, X, pmat, xi = 0.1, M = 10000)
bias.corrected.neyman(Y, Z, pairs, pmat, xi = 0.1)
```

`classic.neyman`*Classic Neyman Sample Average Treatment Effect Estimator*

Description

This function estimates the sample average treatment effect for a set of matched pairs using the classic Neyman estimator. For references on the classic Neyman estimator, see Baiocchi et al. (2010); Zhang et al. (2022); Heng et al. (2023)

Usage

```
classic.neyman(Y, Z, pairs)
```

Arguments

<code>Y</code>	a 2I-length vector of outcome values, which must be numeric.
<code>Z</code>	a 2I-length vector of treatment values, which must be numeric.
<code>pairs</code>	an I x 2 dataframe containing the indices of observations that form our set of matched pairs. An appropriate pairs dataframe can be formed using the nbp.caliper function.

Value

the sample average treatment effect (numeric)

See Also

Other inference: [bias.corrected.neyman\(\)](#), [covAdj.variance\(\)](#), [make.pmatrix\(\)](#), [nbp.caliper\(\)](#)

Examples

```
set.seed(12345)
X <- rnorm(100, 0, 5)
Z <- X + rnorm(100, 0, (1+sqrt(abs(X))))
Y <- X + Z + rnorm(100, 0, 0.5)
pmat <- make.pmatrix(Z, X)
pairs <- nbp.caliper(Z, X, pmat, xi = 0.1, M = 10000)
classic.neyman(Y, Z, pairs)
```

covAdj.variance *Covariate-Adjusted Variance Estimation*

Description

This function calculates the covariate-adjusted conservative variance estimator For the (classic or bias-corrected) Neyman estimator. For details on the definition of the covariate-adjusted Neyman estimator, see Fogarty (2018) and Frazier et al. (2024).

Usage

```
covAdj.variance(Y, Z, X, pairs, pmat, xi, Q)
```

Arguments

Y	a 2I-length vector of outcome values
Z	a 2I-length vector of treatment values
X	a 2I x k matrix of covariate values
pairs	an I x 2 dataframe containing the indices of observations that form our set of matched pairs. An appropriate pairs dataframe can be formed using the nbp.caliper function.
pmat	a 2I x 2I matrix where the diagonals equal zero, and the off-diagonal elements (i, j) contain the probability the ith observation has $Z = \max(Z_i, Z_j)$ and the jth observation has $Z = \min(Z_i, Z_j)$. We can create a p-matrix using the make.pmatrix function. A p-matrix can be created using the make.pmatrix function.
xi	a number in the range 0 to 0.5, the cutoff related to the treatment assignment probability caliper.
Q	an arbitrary I x L numeric (real-valued) matrix, where $L < I$

Value

a 2I x 2I numeric matrix

See Also

Other inference: [bias.corrected.neyman\(\)](#), [classic.neyman\(\)](#), [make.pmatrix\(\)](#), [nbp.caliper\(\)](#)

Examples

```
set.seed(12345)
X <- rnorm(100, 0, 5)
Z <- X + rnorm(100, 0, (1+sqrt(abs(X))))
Y <- X + Z + rnorm(100, 0, 0.5)
pmat <- make.pmatrix(Z, X)
pairs <- nbp.caliper(Z, X, pmat, xi = 0.1, M = 10000)
covAdj.variance(Y, Z, X, pairs, pmat, xi = 0.1)
```

generate.data.dose *Generate example data with five covariates*

Description

This function creates some example data using the data generation process described in simulation 1 of (Frazier et al. 2024). The dataframe contains a treatment variable Z, outcome variable Y, and five covariates X1,...,X5.

Usage

```
generate.data.dose(N)
```

Arguments

N Number of observations to simulate, which should be a positive whole number.

Value

an N x 7 matrix containing treatment, outcome, and covariates.

See Also

Other data generation: [generate.data.dose2\(\)](#)

Examples

```
generate.data.dose(N = 100)
```

generate.data.dose2 *Generate sample data with six covariates*

Description

This function creates some example data using the data generation process for the secondary set of simulations described in the supplementary materials of Frazier A, Heng S, Zhou W (2024). “Bias Reduction in Matched Observational Studies with Continuous Treatments: Calipered Non-Bipartite Matching and Bias-Corrected Estimation and Inference.” *arXiv e-prints*, arXiv-2409.. The dataframe contains a treatment variable Z, outcome variable Y, and five covariate X1,...,X6

Usage

```
generate.data.dose2(N)
```

Arguments

N Number of observations to simulate, which should be a positive whole number.

Value

an $N \times 8$ matrix containing treatment, outcome, and covariates.

See Also

Other data generation: [generate.data.dose\(\)](#)

Examples

```
generate.data.dose2(N = 100)
```

make.pmatrix

Make matrix of treatment assignment probabilities

Description

This function creates a $N \times N$ matrix where the diagonals equal zero, and the off-diagonal elements (i, j) contain the probability the i th observation has $Z = \max(Z_i, Z_j)$ and the j th observation has $Z = \min(Z_i, Z_j)$, conditioned on covariates. Uses the "model-based" conditional density estimation method described in (Frazier et al. 2024).

Usage

```
make.pmatrix(Z, X)
```

Arguments

Z an N -length vector of treatment values, which must be numeric.
X an $N \times k$ matrix of covariate values, which must be numeric.

Value

an $N \times N$ numeric matrix. Each entry represents the probability the i th observation has $Z = \max(Z_i, Z_j)$ and the j th observation has $Z = \min(Z_i, Z_j)$, conditioned on covariates.

See Also

Other inference: [bias.corrected.neyman\(\)](#), [classic.neyman\(\)](#), [covAdj.variance\(\)](#), [nbp.caliper\(\)](#)

Examples

```
set.seed(12345)
X <- rnorm(100, 0, 5)
Z <- X + rnorm(100, 0, (1+sqrt(abs(X))))
make.pmatrix(Z, X)
```

Description

This function creates a $I \times 2$ dataframe containing the indices of observations that form our set of matched pairs. It uses the `nbpMatch` package (Lu et al. 2011) along with a p-matrix in order to create I matched pairs using a treatment assignment caliper. A p-matrix can be created using the [make.pmatrix](#) function.

Usage

```
nbp.caliper(Z, X, pmat, xi = 0, M = 0)
```

Arguments

<code>Z</code>	a $2I$ -length vector of treatment values, which must be numeric.
<code>X</code>	a $2I \times k$ matrix of covariate values, which must be numeric.
<code>pmat</code>	a $2I \times 2I$ symmetric matrix where the diagonals equal zero, and the off-diagonal elements (i, j) contain the probability the i th observation has $Z = \max(Z_i, Z_j)$ and the j th observation has $Z = \min(Z_i, Z_j)$. A p-matrix can be made using the <code>make.pmatrix</code> function.
<code>xi</code>	a number in the range 0 to 0.5, the cutoff related to the treatment assignment probability caliper.
<code>M</code>	an integer determining the penalty of the treatment assignment probability caliper. If a potential matched pair between observations i and j has treatment assignment probability less than xi or greater than $1-xi$, add M to the distance matrix in the (i, j) and (j, i) entry.

Value

$I \times 2$ dataframe

See Also

Other inference: [bias.corrected.neyman\(\)](#), [classic.neyman\(\)](#), [covAdj.variance\(\)](#), [make.pmatrix\(\)](#)

Examples

```
set.seed(12345)
X <- rnorm(100, 0, 5)
Z <- X + rnorm(100, 0, (1+sqrt(abs(X))))
pmat <- make.pmatrix(Z, X)
nbp.caliper(Z, X, pmat, xi = 0.1, M = 10000)
```

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